High Performance OAM Communication
Exploiting Port-Azimuth Effect of Loop Antennas

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SUMMARY In this paper, we show that the orbital angular momentum (OAM) communication performance with a circular loop antenna array can be drastically improved by exploiting the port azimuth effect at the 5-GHz band. The received signal and interference powers are analytically derived with generalized Z-matrices and the perturbation method for short-range OAM communication. The resulting formulas show that the interference power can be drastically suppressed by selecting the proper combination of port azimuths. We also explain the mechanism behind the reduction in interference power. For the obtained port azimuth combination, the simulated and measured transmission isolations at 1 cm are better than 24.0 and 23.6 dB at 5.3 GHz, respectively. Furthermore, to estimate performance in 2 × 2 MIMO communication, constellations for 64-QAM are estimated. Measured EVMs are less than 3% where signals are clearly discriminated without any signal processing. For long-range OAM communication using paraboloids, the optimum port azimuth combination is estimated by monitoring the current distribution. For the obtained combination of the port azimuths, simulated and measured transmission isolations at 125 cm are better than 15.7 and 12.0 dB at 5.3 GHz, respectively. The measured isolation for short and long ranges are improved by 9.2 and 4.5 dB, respectively, compared with the data for the combination of the ideal port azimuth.

Key words: loop antenna, orbital angular momentum, multiplexing

1. Introduction

In order to improve the speed of or capacity for data transmission, various multiplexing methods have been investigated to improve the efficiency of frequency usage because the available frequency bands are valuable and finite resources. However, although efficiency is improved within the scope of the Shannon-Hartley theorem, exploiting those methods comes at the cost of exponential increases in power consumed. The multiple-input multiple-output (MIMO) communication method greatly reduces the power demands, but it requires complex signal processing for signal separation procedures. On the other hand, the orbital angular momentum (OAM) communication method also reduces the processing complexity by exploiting the orthogonality of the electromagnetic fields [1]−[7], where the carriers are spatially orthogonal because of their different orbital angular momentum. The angular momentum is represented by the rotating phase-front peculiar to OAM signaling. From the spatial orthogonality, multiplexing in the same frequency band is enabled, and the eigenmode transmission feature lessens both the power demands and signal processing complexity. Although applications for OAM communication are limited to fixed communication to maintain its spatial distribution of the OAM wave, OAM communication is anticipated to provide a novel dimension for multiplexing.

Thus, various methods have been proposed to generate the rather unique rotating phase front, such as array antennas with phase shifters [8]−[10] or phase-front transformation with spiral phase plates [11]−[15]. The former generates the rotating phase front by controlling the array factor with discretely shifted phase shifters. Signal processing is essential because all the transmitted carriers are received, but the complexity of the signal processing is expected to be somewhat mitigated. For the latter method, various pieces of equipment to receive only the desired carrier have been proposed, but these require a lot of space for items such as a beam splitter or a prism. Thus, a compact and simple configuration for OAM communication is desired, where only the desired carrier is received, as in eigenmode transmission.

A method to generate waves with a rotating phase front has been proposed by exploiting circular loop antennas [16], [17], where fairly pure single-mode waves are directly radiated from the antennas by setting the loop perimeter to be around an integral multiple of the wavelength. Due to the reciprocity for the transmitting and receiving antennas, the receiving antenna generally receives only the unique carrier of the mode. Thus, this method requires neither phase-transforming devices nor signal processing. The received power from the transmitting antenna of the same radius corresponds to the signal, and it is significantly larger than that from the transmitting antenna of a different radius caused by imperfect mode uniqueness. However, the latter substantially affects OAM communication performance, because it corresponds to the interference wave. Thus, to suppress undesired power, improvement of the mode uniqueness through the addition of a reflector plane was proposed [18]. Although that method is effective, the input impedances of the antennas must be drastically decreased in order to obtain excellent uniqueness. On the other hand, another method has been proposed to suppress undesired power by controlling the combination of port azimuths even where the mode uniqueness is rather poor [19]. This method can also be applied to a configuration with a reflector. However, although the obtained values of the azimuths have been explained, the mechanism regarding how the suppression is realized...
has not been reported, and applications to different configurations have proven difficult. Moreover, although the improvement of the signal-to-interference ratio (transmission isolation) has been explained, any relation to an index for actual communication, such as the signal-to-noise ratio or error-vector magnitude (EVM), remains to be explained.

In this paper, signal and interference powers are analytically clarified with the perturbation method for short-range OAM communication. With numerical calculation of the obtained formulas, the mechanism behind the suppression of undesired power is explained. In addition, the relation between the transmission isolation and EVM is measured for 64-quadrature amplitude modulation (QAM) with the fabricated arrays. Furthermore, it is demonstrated that signals for 64-quadrature amplitude modulation (QAM) are clearly discriminated without any signal processing for 2 × 2 MIMO communication.

2. Suppression of Undesired Transmission by Controlling Port-Azimuth

2.1 S-Matrices for Transmitting and Receiving Arrays

To suppress the interference by exploiting the port azimuth effect, the S-matrices for the loop antennas were analyzed with the generalized Z-matrix where the port azimuths were controlled. Figure 1 shows a configuration of analyzed transmitting and receiving arrays consisting of four-element loop antennas where their port azimuths are controlled. \(a_i, b_i, \) and \(\phi_{ei}\) denote the loop radius, the conductor radius and the port azimuth for the \(i^{th}\) antenna, respectively. \(d_{ij}\) denotes the Z-component of the distance between the \(i^{th}\) and \(j^{th}\) antennas. The loop radii, the conductor radii, and the port azimuths are identical for the transmitting and receiving arrays. The port numbers are defined as 1 to 4 for the transmitting array, and 5 to 8 for the receiving array. Each port impedance \(R_p\) is assumed to be identical.

The current distribution for the \(i^{th}\) loop antenna can generally be Fourier-expanded, as shown in (1), where \(I_n^i\) denotes the current expansion coefficient for the \(n^{th}\) expansion order. Where the port azimuths are different, the \(n^{th}\)-order generalized Z-matrix \(Z^n\) is found as shown in (2), where \(\xi^n\) is the generalized Z-matrix for the identical port azimuth. \(\xi^n\) is given by (3)–(7) [17]. \(A^n\) is a matrix given by (8), which explains the effect of the port azimuth [20], [21]. \(A^n\) is the unit matrix for the identical port azimuth. The generalized Y-matrices, \(Y^n\) and \(\xi^n\), are obtained by the inverse matrix of \(Z^n\) and \(\xi^n\), as shown in (9). When \(Y^n\) is defined by (10), its matrix element is found with the generalized Y-matrix element for the identical port azimuth and the relative port azimuth for the \(i^{th}\) and \(j^{th}\) antennas, as shown in (11). As the \(i^{th}\) port current \(I_p\) is found by the sum for the expansion coefficients, the usual Y-matrix \((Y_{total})\), which relates the voltage and current at the ports, is obtained as shown in (12). The S-matrix is obtained by the matrix transformation, as shown in (13), where E denotes the unit matrix. To suppress the interference, the S-matrix could be controlled by selecting the proper combination of the port azimuths, considering (10), (11) and (12).

\[
I_i(\phi) = \sum_{n=-\infty}^{\infty} I_n e^{-jn(\phi-\phi_{ei})} \\
(1)
\]

\[
Z^n = (A^n)^{-1} \xi^n A^n \\
(2)
\]

\[
\xi_{i,j}^n = \xi_{i,j}(\phi) \\
\]

\[
K_{i,i}^n = K_{i,i}^n = \frac{1}{2\pi} \int_{0}^{2\pi} \left( \frac{1}{n} e^{-jn(\phi-\phi_{ei})} R_{i,i}(\phi, \theta) \right) e^{j\theta} d\theta \\
(4)
\]

\[
K_{i,j}^n = K_{i,j}^n = \frac{1}{2\pi} \int_{0}^{2\pi} \left( 2 e^{-jn(\phi-\phi_{ei})} R_{i,j}(\phi, \theta) \right) e^{j\theta} d\theta \\
(5)
\]

\[
R_{i,i}(\phi, \theta) = \left[ 4 \sin^2 \phi 2 + \frac{b_i}{a_i} \right] / 2 \\
(6)
\]

\[
R_{i,j}(\phi, \theta) = \left[ 4a_i 2 \sin^2 \phi 2 + \frac{d_{ij}}{a_i} \right] / 2 \\
(7)
\]

\[
[A^n]_{i,j} = \delta_{i,j} e^{jn\phi_{ei}} \\
(8)
\]

\[
Y^n = (Z^n)^{-1} \\
(9)
\]

\[
Y^{0} \equiv Y^{0} \equiv Y^{0} \equiv Y^{0} + Y^{0} \equiv Y^{0} \equiv Y^{0} \\
(10)
\]

\[
Y_{i,j}^n = 2 \xi_{i,j}^n \cos (n(\phi_{ej} - \phi_{ei})) \\
(11)
\]

\[
I_p = I_i(\phi_{ei}) = \sum_{n=-\infty}^{\infty} I_n^n = \sum_{n=0}^{\infty} Y_{n+1}^{0} V_i \equiv [Y_{total} V]_i \\
(12)
\]

\[
S = (E + R_p Y_{total})^{-1} \cdot (E - R_p Y_{total}) \\
(13)
\]

2.2 Analysis for Port Currents

 Whereas the interference wave is expressed using port azimuths, the formulas are quite complicated, and it is difficult to find an effective combination of port azimuths. To obtain simpler formulas, the generalized Z-matrices \(\xi^n\) for the arrays of the identical port azimuth, all of which port azimuths are zero, were numerically estimated with Mathematica®.

![Fig. 1](image-url) Configuration of calculation for the shifted-port generalized Z-matrix.
The conductor width was fixed at 0.4 mm. The distance between the transmitting and receiving arrays was selected to be 1 cm for the transmissions of the signal waves to be large enough. Return losses are determined mainly by loop radii. However, the transmission isolation is relatively independent of loop radii, where the return losses are good. Thus, loop radii were determined on condition that the port-azimuths are identical. Each order for the dominant current expansion coefficient was designed to be 1st, 2nd, 3rd and 4th for both the transmitting and receiving antennas. The target frequency was determined arbitrarily around 5.3 GHz. However, the substrate is not included for the numerical calculation, and the target frequency was increased by 10% for the loop radii to be similar to the fabricated ones. Thus, each loop radius was determined to be 8.57, 16.64, 24.67 and 32.68 mm, respectively, which adjusts the self-admittance such that each expansion order is almost a whole real number at 5.85 GHz, as explained in [17].

Table 1 shows the calculated absolute values of the normalized Y-matrix ($Y_{\text{total}}$), where the normalizing port impedance ($R_p$) is 100Ω. The calculated return losses were better than 10.3 dB at 5.85 GHz for all the antennas. The most dominant elements are self-admittances $Y_{i,i}^{\text{total}}$ and mutual admittances $Y_{i,i+4}^{\text{total}}$, and they are about 10 times larger than the other elements, as shown in Table 1. In addition, whereas their adjacent matrix elements are smaller than the most dominant elements, these are fairly larger than the other elements. In this case, the perturbation method can be exploited, where the most dominant elements and the adjacent elements correspond to the 0th order and the 1st order infinitesimals, respectively. In addition, the $Y_{i,i}^{\text{total}}$ are similar and around 1 because the port impedance was properly selected for the impedance matching. In addition, for $Y_{i,i+4}^{\text{total}}$, they are also similar. Furthermore, whereas $Y_{i,i}^{\text{total}}$ is given by the sum of $Y_{i,i}^{en}$, the dominant contribution to $Y_{i,i}^{\text{total}}$ generally consists of the generalized Y-matrices for the dominant orders for both the $i$th and $(i+4)$th antennas. Since the dominant order for both the $i$th and $(i+4)$th antennas is designed to be identical, $Y_{i,i}^{\text{total}}$ and $Y_{i,i+4}^{\text{total}}$ are almost identical to $Y_{i,i}^{\text{en}}$ and $Y_{i,i+4}^{\text{en}}$, as shown in Table 2.

Table 1 Absolute values of normalized $Y_{i,i}^{\text{total}}$ for identical port azimuths ($R_p = 100 \Omega, f = 5.85 \text{GHz}$).

<table>
<thead>
<tr>
<th>Order</th>
<th>$Y_{i,i}^{\text{total}}$</th>
<th>$Y_{i,i+4}^{\text{total}}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>5.8x10^{-3}</td>
<td>8.9x10^{-2}</td>
</tr>
<tr>
<td>2</td>
<td>8.9x10^{-2}</td>
<td>7.0x10^{-1}</td>
</tr>
<tr>
<td>3</td>
<td>2.3x10^{-2}</td>
<td>1.0x10^{-1}</td>
</tr>
<tr>
<td>4</td>
<td>9.6x10^{-3}</td>
<td>2.5x10^{-2}</td>
</tr>
</tbody>
</table>

Table 2 Absolute values of normalized $Y_{i,i}^{en}$ and $Y_{i,i+4}^{en}$ ($R_p = 100 \Omega, f = 5.85 \text{GHz}$).

<table>
<thead>
<tr>
<th>Order</th>
<th>$Y_{i,i}^{en}$</th>
<th>$Y_{i,i+4}^{en}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>0th</td>
<td>6.5x10^{-1}</td>
<td>5.9x10^{-1}</td>
</tr>
<tr>
<td>3rd</td>
<td>5.8x10^{-3}</td>
<td>8.1x10^{-3}</td>
</tr>
<tr>
<td>6th</td>
<td>4.1x10^{-3}</td>
<td>8.0x10^{-3}</td>
</tr>
<tr>
<td>9th</td>
<td>3.5x10^{-3}</td>
<td>7.4x10^{-3}</td>
</tr>
</tbody>
</table>

Expained in physical terms, the current is almost that of the dominant order on the stimulated antenna, and the induced current is almost only on the antenna of the same radius. With the approximation, the induced port current on the receiving antenna for the adjacent order was analyzed, because the maximum undesired transmission has been that for the antenna [17]. Let the $i$th antenna be stimulated by $V_i$. Where 1st order infinitesimals or more are neglected, the relations among the voltages and current can be concisely expressed as follows:

$$\left[ \begin{array}{c} I_{P_i} \\ I_{P_{i+4}} \end{array} \right] = \left[ \begin{array}{cc} y_{i,i} & y_{i,i+4} \\ y_{i+4,i} & y_{i+4,i+4} \end{array} \right] \left[ \begin{array}{c} V_i \\ -R_p I_{P_{i+4}} \end{array} \right].$$

The induced current is only at the port $i$ and $i + 4$, and the induced current is found as follows:

$$I_{P_i} = R_p \left( V_i - \frac{R_p y_{i,i+4}^*}{1 + R_p y_{i,i+4}^*} \right)$$

$$I_{P_{i+4}} = \frac{R_p y_{i,i+4}^* V_i}{1 + R_p y_{i,i+4}^* R_p}.$$
The induced currents of the 1\textsuperscript{st} order infinitesimal are found as follows:

\[
I_{p,j+4} = \frac{V_i}{R_p} \left( \frac{1 + R_p Y_{i,j}^j}{1 + R_p Y_{i,j}^j} \right)^2 \left[ R_p Y_{total}^{i,j+4} \right] - \left( R_p Y_{total}^{j,i+4} \right) \left( \frac{1 + R_p Y_{i,j}^j}{1 + R_p Y_{i,j}^j} \right) \left( \frac{R_p Y_{i,j}^j}{1 + R_p Y_{i,j}^j} \right) \]

(18)

The received power for the \( k \text{th} \) receiving antenna (\( P_k \)) is given as follows:

\[
P_k = \frac{1}{2} R_p |I_{p,k}|^2 \quad (k = 5, 6, 7, 8).
\]

(19)

Thus, each power for the signal and interference can be estimated with (16) and (18). For the interference, the induced current consists of four terms, which may be interpreted to correspond to the paths shown in Fig. 2.

Whereas the induced current for the interference can be reduced by estimating various combinations of the port azimuths, we estimated a promising combination considering the features of (18). Figure 3(a) shows the contributions of the four terms for \( I_{p,k} \) when the 3\textsuperscript{rd} port was stimulated, where all the port azimuths are identical. The 4\textsuperscript{th} term is much smaller than the other three terms. Since the phases for the 2\textsuperscript{nd} and 3\textsuperscript{rd} terms are similar, the sum shown in pink intensifies. As a result, when the phase difference of the 2\textsuperscript{nd} and 3\textsuperscript{rd} term is controlled to be \( \pi \), these mutually negate, because the absolute values of \( Y_{i,j}^i \) and \( Y_{j,i}^j \) are similar. For \( i \) and \( j \), one is odd and the other is even. Thus, with (11), the differences for their port azimuths are determined to be \( \pi \) for the 2\textsuperscript{nd} and 3\textsuperscript{rd} terms to mutually negate. In this case, the combination of the port azimuths, defined as DEG-A, is as follows:

\[
\phi_{ei} = 0^\circ \quad (i = 1, 2, 3, 4),
\]

\[
\phi_{ej} = 180^\circ \quad (j = 5, 6, 7, 8).
\]

(20)

To verify the obtained results, the transmission characteristics were numerically estimated for a distance of 1 cm, as shown in Fig. 4. Except the combination of the port azimuths, the dimensions of the loop antenna arrays are identical. As expected, undesired transmission to the adjacent receiving antenna is sharply reduced around the designed 5.85 GHz.

For example, \( S_{6,1} \) was remarkably reduced from -23.0 to -34.4 dB by controlling the combination. For the performance index, the transmission isolation IT has been defined as follows [17]:

\[
IT \ [\text{dB}] = \min \{ \min_{i,j} (S_{i+4,j} [\text{dB}] - S_{j,i} [\text{dB}]) \}
\]

\[
(i = 1, 2, 3, 4) \quad (j = 5, 6, 7, 8).
\]

(21)

\( S_{i+4,j} \) and \( S_{j,i} \) correspond to the transmissions for the signal and interference waves, respectively, where antenna \( i \) is stimulated. Thus, the transmission isolation corresponds to the worst value of signal to interference ratio for the four communication channels, which is defined at each frequency. The calculated IT for DEG-A is more than 28.4 dB at 5.85 GHz, which is improved by 11.1 dB compared to the arrays for
The identical port azimuth [17]. This result demonstrates that port azimuth control is quite effective at improving the OAM communication performance.

Since the Y-matrix values change by the distance between the arrays, the effects of the communication distance on the transmissions were also estimated. Another combination for long-range OAM communication (DEG-B), explained in Sect. 3, was included. The dimensions of the loop antenna arrays are identical. The combination of DEG-B is as follows:

\[
\begin{align*}
\phi_{e1} &= \phi_{e5} = 0^\circ, \\
\phi_{e2} &= \phi_{e6} = 60^\circ, \\
\phi_{e3} &= \phi_{e7} = 96^\circ, \\
\phi_{e4} &= \phi_{e8} = 121^\circ.
\end{align*}
\]

The communication distances were varied, from 1 to 9 cm. Figure 5 shows the calculated transmission, where the 3rd port was stimulated at 5.85 GHz. The maximum transmission is always \(S_{73}\), which corresponds to the signal. For the arrays of the identical port azimuths, the second largest transmissions are \(S_{83}\) and \(S_{63}\), up to 5 cm, as shown in Fig. 5(a). These are undesired transmissions, and the dominant orders (2nd and 4th) for the 6th and 8th receiving antennas are adjacent to that (3rd) of the transmitting antenna. However, at the greater distance, the undesired transmission to the smallest receiving antenna (\(S_{53}\)) becomes the largest. This can be explained by the fact that the smallest antenna effectively receives the 1st-order radiation mode generated by the 1st-order current expansion coefficient, and the 1st-order radiation mode expands the least. On the other hand, for the combination of DEG-A, whereas \(S_{53}\) is almost identical, undesired transmissions to the antenna of the adjacent orders are drastically reduced, up to 9 cm, as shown in Fig. 5(b).

As a result, the combination of DEG-A is superior to that of the identical azimuths, over which \(S_{53}\) becomes the largest for that of the identical azimuths. For the combination of DEG-B, whereas \(S_{83}\) and \(S_{63}\) are similar to that of the identical azimuths, \(S_{53}\) is remarkably reduced, as shown in Fig. 5(c), and the combination of DEG-B may be said to be more suitable for distances greater than 5 cm.

2.3 Simulated Performance for Short-Range OAM Communication

To verify that the combination of DEG-A is effective for short-range OAM communication, characteristics were simulated with HFSS™ [22]. Figure 6 shows a simulated configuration. The distance between the transmitting and receiving array is 1 cm, and the conductor widths are fixed at 0.4 mm. The obtained loop radii were 8.4, 16.5, 24.4 and 32.5 mm, respectively. The loop antenna arrays were concentrically laid out on a 0.1-mm-thick FR-4 substrate (\(\epsilon_r = 4.8, \tan\delta = 0.01\)). The port impedances are fixed at 100 \(\Omega\), where the simulated return losses are better than 5.0 dB at 5.3 GHz, as shown in Fig. 7. Figure 8 shows the simulated transmission for DEG-A. As is the case with the numerical analysis, the transmissions between the transmitting and receiving antennas of the same radius are always the maximum, and undesired transmissions to the receiving antennas of the adjacent order are sharply reduced around the resonant frequency. As a result, the transmission isolation is reduced to a maximum of 24.0 dB at 5.3 GHz.

2.4 Measured Performance for Short-Range OAM Communication

To verify the simulated results, antennas for the simulated configuration were fabricated, as shown in Fig. 9. The distance between the arrays was 1 cm. Baluns are integrated...
2.5 Measured Performance for Short-Range LOS-MIMO Communication

Transmission isolation is considered the most important index of OAM communication performance, because it expresses the power ratio for the signal and interference. Nevertheless, it is not a direct performance index, such as the signal-to-noise ratio (S/N) or the error-vector magnitude (EVM). Thus, to examine the relations between transmission isolation and EVM, characteristics for line-of-sight MIMO (LOS-MIMO) communication were measured with a pair of vector signal generators (N5172B) and a vector signal analyzer (MSOS804) from Keysight Technologies. The distance between the arrays was 1 cm. Since only two input ports were available, transmitting antennas 1 and 2 were connected to the input ports, and receiving antennas 5 and 6 were connected to the analyzer. The other ports were terminated by 50 Ω. The symbol rate was 75M Symbols/s, and the roll-off factor was 0.5. The modulation scheme was 64-QAM. No MIMO signal processing was included. Figure 12 shows the frequency characteristics for EVM and the isolation. The transmission isolation is closely correlated with EVM, and EVM becomes less than 3% where the transmission isolation is higher than 30 dB. Figure 13 shows the signal space diagrams of the received 64-QAM signals. The signal constellations at 5.35 GHz are clearly discriminated for both channels by virtue of the lower EVM. On the other hand, the signal constellations were not discriminated at 5.6 GHz, where the transmission isolation is around 20 dB.

3. Assessment for Long-Range OAM Communication

3.1 Simulated Performance for Long-Range OAM Communication

Analysis with the perturbation method is not applied for long-range OAM communication, as shown in Sect. 2.2. In addition, as the paraboloids are utilized to collimate the expanding OAM wave, as shown in Fig. 14, analysis with the generalized Z-matrices is also impossible. However, the aim of the analysis was for undesired port currents to be suppressed, which can be estimated with a simulator. Thus, by varying the combination of the port azimuths, undesired port currents were repeatedly simulated for the configuration shown in Fig. 14. The distance between the transmitting and receiving array is 125 cm. The radius and the focal length of the paraboloid are 30 cm and 21.5 cm, respectively. The radius was smaller than the radius used for measurement shown below because of the limit of the available memory size. To confirm the potential, the transmission isolation was...
The arrays are located in the focal plane. The loop radii, conductor radii, and the substrate for the antennas are identical to those for the short-range OAM communication, shown in Sect. 2.3. The obtained combination of the port azimuths, defined as DEG-B, is as follows:

\[
\begin{align*}
\phi_{e1} &= \phi_{e5} = 0^\circ, \\
\phi_{e2} &= \phi_{e6} = 60^\circ, \\
\phi_{e3} &= \phi_{e7} = 96^\circ, \\
\phi_{e4} &= \phi_{e8} = 121^\circ.
\end{align*}
\]

(23)

The simulated return losses were better than 5.5 dB at 5.3 GHz, as shown in Fig. 15. Figure 16 shows the simulated transmission characteristics for DEG-B. The transmissions between the antennas of the same radii are the maximum around 5.3 GHz. The transmission \( S_{44} \) is the smallest, where the transmission is mediated by the highest 4th-order mode fields for the magnetic quantum number. This can be explained by the diffraction characteristics for the mode order [17]. Undesired transmissions were reduced and the transmission isolation was better than 15.7 dB at 5.3 GHz.

3.2 Measured Performance for Long-Range OAM Communication

When we first measured the transmission for a long range, remarkably jagged frequency characteristics were observed. Since interference by multiple paths was a concern, time-domain measurements were implemented. Figure 17 shows the schematic configuration and the measured time-domain transmission characteristics. Three peaks were confirmed. By examining the relation between the distance and the delays, these peaks were identified to correspond to paths A, B, and C, as shown in the figure. Since the paraboloids are used for collimating the radiated fields, path C is the desired path. Thus, time-gating was implemented to extract the transmission from 11 to 18 ns to extract only the data for path C.

The arrays of the simulated configuration were fabricated as shown in Fig. 18. The measured return losses were better than 10.0 dB at 5.3 GHz, as shown in Fig. 19. The distance between the transmitting and receiving arrays was 125 cm. The radius and the focal length of the paraboloid were 60 and 43 cm, respectively. The arrays are located in the focal plane, and the paraboloids and the arrays were carefully aligned with a laser for the central axes to coincide. Figure 20 shows the measured transmission characteristics. Undesired transmissions were reduced around the point where the return losses were good. The measured isolation was more than 12.0 dB at 5.3 GHz and improved by 4.2 dB compared with identical port azimuths [17].
4. Conclusion

Performance of OAM communication with circular loop antennas was drastically improved by exploiting the port azimuth effect in the 5-GHz band. The received signal and interference power were analytically derived with the generalized Z-matrices and the perturbation method for short-range OAM communication. With numerical calculation of the obtained formulas, the interference power was shown to be markedly suppressed by selecting the proper combination of port azimuths. The mechanism behind the suppressed interference power was also explained. For the obtained port azimuth combination, the simulated and measured transmission isolations at 1 cm were better than 24.0 and 23.6 dB at 5.3 GHz, respectively. Furthermore, to estimate performance in 2 × 2 MIMO communication, constellations for 64-QAM were estimated. Measured EVMs were less than 3%, where signals were clearly discriminated without any signal processing. For long-range OAM communication using paraboloids, the optimum port azimuth combination was estimated by monitoring the current distribution. The obtained combination of port azimuths yielded, for the array separation of 125 cm, simulated and measured transmission isolations of better than 15.7 and 12.0 dB at 5.3 GHz, respectively. The measured isolation for short and long ranges were improved by 9.2 and 4.2 dB, compared with the data for the combination of the identical port azimuth.

Acknowledgments

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[22] ANSYS,”ANSYSHFSS,”https://www.ansys.com/Products/Electronics/ANSYS-HFSS
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